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Q1. Se  $\overline{AH}$  é a altura relativa ao lado  $\overline{BC}$  do  $\triangle ABC$ , calcule  $\hat{B}$  e  $\hat{C}$  na figura 1:

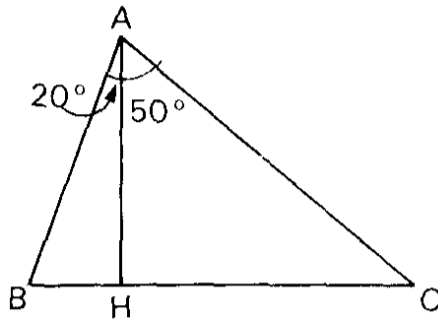


Figura 1

Q2. Se  $\overline{AH}$  é a altura relativa ao lado  $\overline{BC}$  do  $\triangle ABC$ , calcule  $\hat{B}$  e  $\hat{C}$  na figura 2:

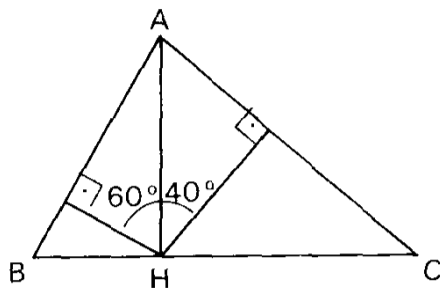


Figura 2

Q3. O triângulo da figura 3 é isósceles de base  $\overline{BC}$ . Calcule o ângulo da base.

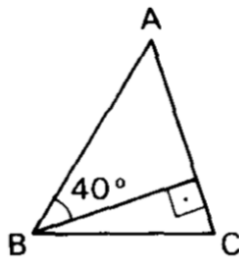


Figura 3

Q4. O triângulo da figura 4 é isósceles de base  $\overline{BC}$ . Calcule o ângulo da base.

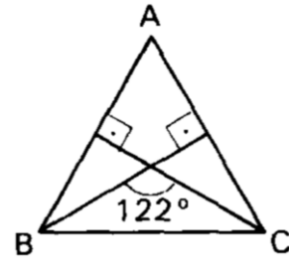


Figura 4

Q5. Na figura 5,  $\overline{AH}$  é altura e  $\overline{AS}$  é bissetriz, ambas relativas ao lado  $\overline{BC}$  do  $\triangle ABC$ . Se  $\hat{B} = 70^\circ$  e  $\hat{HAS} = 15^\circ$ , calcule  $\hat{C}$ .

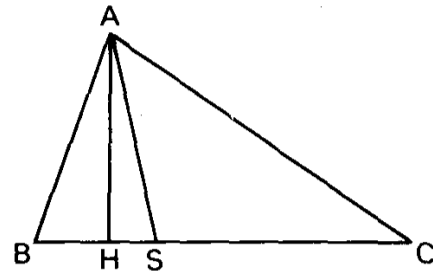


Figura 5

Q6. Calcule o valor de  $x$  na figura 6:

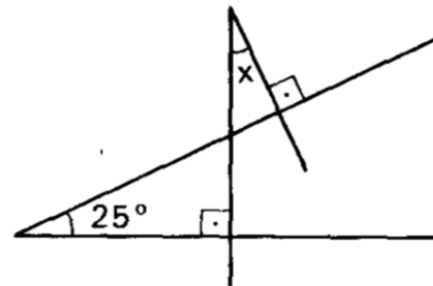


Figura 6

Q7. Calcule o valor de  $x$  na figura 7:

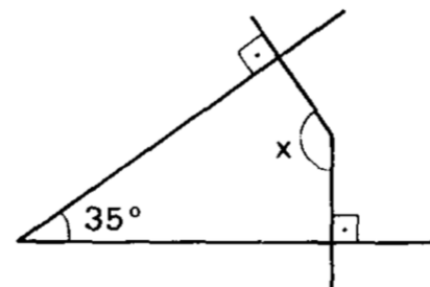


Figura 7

Q8. Calcule o valor de  $x$  na figura 8:

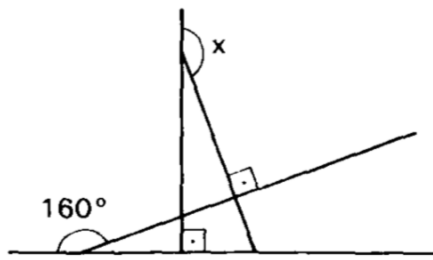


Figura 8

Q9. Calcule o valor de  $x$  na figura 9:

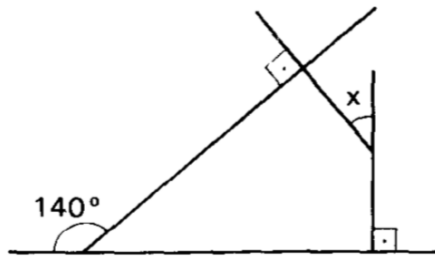


Figura 9

Q10. Na figura 10, calcule a medida de  $\alpha$ ,  $\beta$  e  $\gamma$ .

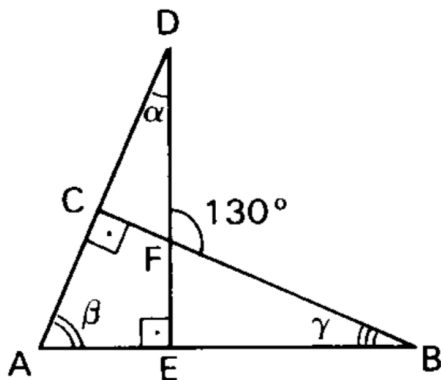


Figura 10

Q11. No triângulo  $ABC$  da figura 11,  $\hat{B} = 60^\circ$  e  $\hat{C} = 20^\circ$ . Qual o valor do ângulo  $H\hat{A}S$  formado pela altura  $\overline{AH}$  e a bissetriz do ângulo  $\hat{A}$ ,  $\overline{AS}$ ?

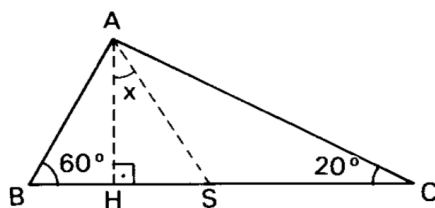


Figura 11

pelas mediatrizes  $\overline{QS}$  e  $\overline{PS}$  (figura 12). Calcule os ângulos deste triângulo.

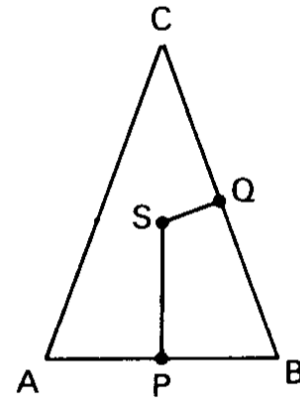


Figura 12

### GABARITO RETAS PARALELAS VI

Q1.  $\hat{B} = 70^\circ$  e  $\hat{C} = 40^\circ$

Q2.  $\hat{B} = 60^\circ$  e  $\hat{C} = 40^\circ$

Q3.  $65^\circ$

Q4.  $61^\circ$

Q5.  $40^\circ$

Q6.  $25^\circ$

Q7.  $145^\circ$

Q8.  $160^\circ$

Q9.  $40^\circ$

Q10.  $\alpha = \gamma = 40^\circ$ ;  $\beta = 50^\circ$

Q11.  $20^\circ$

Q12.  $36^\circ$ ,  $72^\circ$  e  $72^\circ$

Q12. Em um triângulo isósceles  $ABC$  de base  $\overline{AB}$ , o ângulo  $\hat{B}$  é igual a  $\frac{2}{3}$  do ângulo  $\hat{S}$  formado